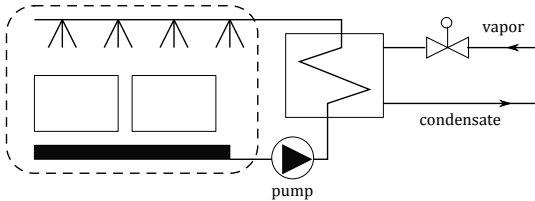


## Temperature control

Autoclave for food sterilization under pressure consists of 0.9 t potato and 0.4 t water. Autoclave construction weight is 1.1 t. The autoclave is heated by the steam which consumption is adjustable (signal 0 – 100% ) between 0...1300 kg/h.

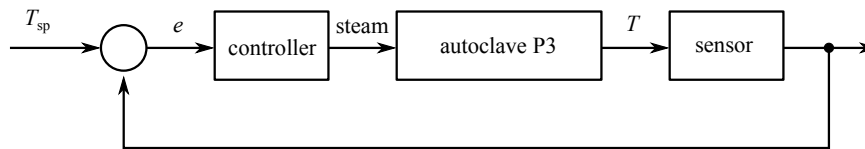


Specific heat capacities: of water 4.18 and iron 0.44  $kJ/(kg \cdot ^\circ C)$ , water heat of evaporation is 2256  $kJ/kg$ , potato and water features are similar.

With 5% of steam consumption autoclave reaches the temperature of 90  $^\circ C$  ( if temperature of environment is +20  $^\circ C$ ).

See solution of Practice 4.

Controller for autoclave



Additional information:

- Autoclave heat exchanger's Time Constant is  $T = 5 \text{ min}$  and delay si  $\tau = 2 \text{ min}$ ;
- Temperature sensor's Time Constant is 1  $\text{min}$

Set point for the controller  $T_{sp}$  is changing as follows

1. rise of the temperature from temperature of environment (+20  $^\circ C$ ) up to +80  $^\circ C$  with changing rate 5  $^\circ C$ ;
2. temperature remains +80  $^\circ C$  for 10  $\text{min}$ .

- Find a model of the autoclave. Provide the model parameters.
- Find a controller parameters. Provide aperiodic characteristic of the system behavior.
- Simulate the control system (controller + autoclave + sensor). Provide a graph of the temperature error  $e = T_{sp} - T$ .

## Comments /back to basics/

Continuous SISO controller P, PI, PD, PID  
 object first order, second order, with delay, FOPDT, etc.  
 requirements stability, offset, time of control  
 Simulate closed system, change parameters, observe

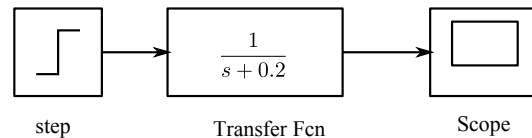
### 1. Simulate behavior of the object (Matlab, Simulink)

- ✓ Describe object /transfer function/ with the parameters: zeros  $[z]$ , poles  $[p]$ , gain  $K_{zp}$ ;
- ✓ Set Gain as  $K_o = 1$ , and Time Constant as  $T_o = 5$  s

NB! if we change values of the poles, static gain changes also

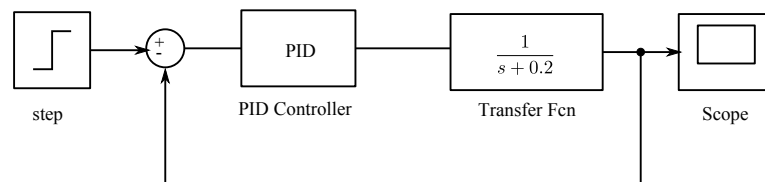
$$\frac{K_o}{1 + T_o s} = \frac{K_{zp}}{s + p} \text{ or } K_o = \frac{K_{zp}}{p}, T_o = \frac{-1}{p}$$

- ✓ Observe step response on /scope/

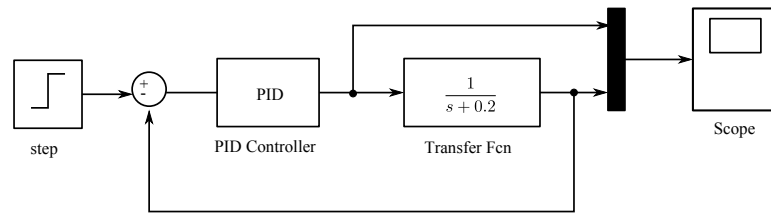


### 2. Design a Control loop with PID controller and the Object

(a) P Controller ( $K = 1, I = 0$  and  $D = 0$ ) and first order object



- ✓ Measure close-loop system output (offset?) and Time Constant  $T_{cl}$
- ✓ Change the Gain  $K$  of the controller; What/how is changing?
- ✓ Can we make the system response quicker? Is it still stable?
- ✓ Change the sign of feedback and value of the Gain, how output and the Time Constant is changing?
- ✓ Observe both signals: object input and output.
- ✓ Does the closed-loop system settle  $10\times$  quicker, what has changed? Is it unstable?



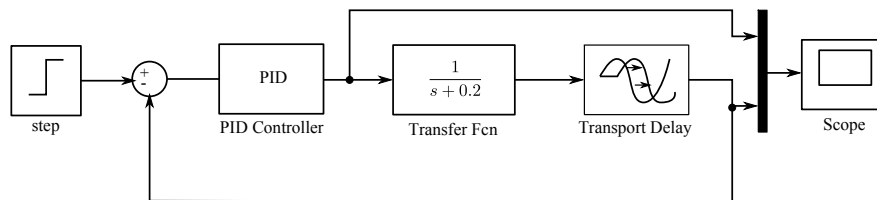
(b) PI controller and first order object

In open-loop the zero of the controller compensates for the pole of the object, and changes it into an integrator.

✓ Make the system settle  $10\times$  quicker.

If compensation is not accurate (10 % difference), then on output we have component with Time Constant  $-1/p$

(c) P Controller and delayed object.



✓ Design control loop with PID controller, which parameters are:  $K = 1, I = 0$  and  $D = 0$  and delayed object /Transport Delay/ with value  $L = 1 s$ .

Observe step response.

✓ What should be the Gain of the system if it is unstable?

✓ What is the frequency of oscillations?

✓ What should be the Gain if system is stable (oscillating or aperiodic)?

(d) PID control and FOPDT object

✓ Tune the parameters of controller with an object, which parameters are  $K_o = 1, T_o = 5 s, L = 1 s$ . Choose the control requirements, simulate system.

✓ At what conditions P control is unstable? What are the margins of the unstable system oscillation frequency  $f$ , if object Time Constant  $T_o$  is changed?